# **ACESSING SYSTEMS**

#### Abstract

Distributed centralized learning refers to a class of learning algorithms that enable a group of agents to train models using a dataset distributed amongst them with the aid of a central parameter server. Recently, decentralized learning algorithms have demonstrated state-of-the-art results. However, an essential requirement to achieve such performance has been balanced distribution (among classes) of data among the agents, referred to as IID data. In real-life applications, having a precise IID distribution of data among the agents is often not feasible. We propose a Local Gradient Aggregation (LGA) where each agent collects the gradient information from its neighboring agents and updates its model with a projected gradient. By comparing against stateof-the-art decentralized algorithms, we show that our algorithm achieves the highest accuracy rate on non-IID data distribution while preserving the IID counterpart's performance.

### Introduction

- Centralized learning algorithms (e.g., federated learning) have demonstrated stateof-the-art performance in learning collaboratively from numerous agents.
- In certain use cases such as learning over a robotic network, continuous communication with a central parameter server is often not feasible. To address this concern, several decentralized learning algorithms have been proposed.
- In this paper, we study two aspects of distributed deep learning: Decentralized learning, and learning from non-IID data distributions.
- We propose Local Gradient Aggregation (LGA) algorithm and show its effectiveness in learning models in a decentralized manner from both IID and non-IID data distributions.

#### **Problem Formulation**

• The standard (unconstrained) empirical risk minimization problem that we are solving in decentralized distributed learning can be represented as:

$$\min f(x) = \sum_{j=1}^N \sum_{i \in \mathcal{D}_j} f^i(x^j) := rac{N}{n} \sum_{j=1}^N f_j(x^j); ext{s.t. } x^j = x^l \ orall \ (j,l) \in \mathbb{C}$$

• Comparing the data distribution shifts in the continual learning with the non-IID data distributions in the decentralized learning, we can leverage the techniques into the decentralized learning framework by finding the local optimal gradient for each local model.

$$\langle g,g_t
angle:=\langlerac{\partial f(s;x)}{\partial x},rac{\partial f(\mathcal{M}_t;x)}{\partial x}
angle\geq 0, \ orall t<$$





# Local Gradient Aggregation for Decentralized Learning from Non-IID data Yasaman Esfandiari, Sin Yong Tan, Zhanhong Jiang\*, Aditya Balu, Chinmay Hegde<sup>†</sup>, Soumik Sarkar Iowa State University, Johnson Controls\*, New York University<sup>†</sup>

# Algorithm

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Algorithm 1 Local Gradient Aggregation  
1: Initialization: 
$$\mathcal{D}_{j}, x_{0}^{j}, v_{0}^{j}, (j = 1, 2, ...)$$
  
2: for  $k = 0$  :  $K$  do  
3: for  $j = 1$  :  $N$  do  
4: Randomly shuffle the correspond  
5: Compute  $g_{k}^{jj}$   
6:  $G^{j} = \{\}$   
7: for each agent  $l$ , s.t.  $(j, l) \in \mathbb{C}$  c  
8: Compute  $g_{k}^{jl}$   
9:  $G^{j} \leftarrow G^{j} \cup g_{k}^{jl}$   
10:  $w_{k}^{j} = \sum_{l} \pi_{jl} x_{k-1}^{l}$   
11: end for  
12:  $\tilde{g}^{j} \leftarrow QP(g_{k}^{jj}, G^{j})$   
13:  
14:  $v_{k}^{j} = \mu v_{k-1}^{j} - \alpha \tilde{g}^{j}$   
15:  
16:  $x_{k}^{j} = w_{k}^{j} + v_{k}^{j}$   
17: end for  
18: end for

## **Experimental Results**

• Figure 1 shows that LGA can maintain the high accuracy when learning from both IID and non-IID data distributions.



Figure 1: Average training and validation accuracy for LGA method on (a) IID (b) non-IID data

References: [1] Esfandiari, Y., Tan, S.Y., Balu, A., Jiang, Z., Hegde, C., Sarkar, S., Local Gradient Aggregation for Decentralized Learning from Non-IID data, OPT 2020 workshop Acknowledgements: This work was partly supported by the National Science Foundation under grant number CAREER-1845969.

,N),lpha,K, a QP solver

ding data subset  $\mathcal{D}_i$ 

### 



non-IID scenarios.



data distributions.

- server.

# **Experimental Results**

• Figure 2 shows that LGA achieves the highest accuracy compared to the state-ofthe-art methods in less number of epochs smoothly and maintains it in both IID and

Figure 2: Average training (solid line) and validation (dash line) accuracy for different methods on (a) IID (b) non-IID data distributions for fully connected graph topology with 5 agents

• We have also tested our method on CIFAR-10 data set with 10 agents and MNIST data sets with bot 5 and 10 agents. Experimental results show that LGA achieves the highest accuracy compared to the state-of-the-art methods in all of those experiments as well and will preserve the performance when changing from IID to non-IID

## Conclusions

• In this paper, we propose a Local Gradient Aggregation (LGA) algorithm to effectively learn from non-IID data distributions in a decentralized manner that resolves the scalability and connectivity concerns associated with using a central parameter

• We present the convergence characteristics of the algorithm and investigate the effect of different topologies, with different combinations of agent numbers empirically.

• Also, we compare the performance of LGA algorithm with state-of-the-art decentralized learning algorithms as baseline methods.

• Future research directions include: (i) Computation analysis of LGA (ii) investigating projection methods other than QP (iii) empirical comparison between different extents of non-IIDness in the data distribution.



